# LONG-RANGE PLAN

## **Grade 6, Mathematics**

## **ORGANIZED BY QUESTIONS**

#### What is a long-range plan and why is it important?

A long-range plan outlines a year-long plan for learning mathematics. It is a living document that is revised as educators become increasingly aware of the abilities, strengths, needs, and interests of their students. A thoughtfully developed long-range plan:

- ensures that instruction is sequenced in a manner that aligns with research about learning mathematics;
- allocates the appropriate time for concepts and skills so that students have multiple opportunities to focus on the overall expectations within the grade;
- ensures that all specific expectations are addressed at least once within the school year; and
- recognizes that some expectations need to be revisited several times throughout the year.

**Note**: These sample long-range plans outline possible sequences of instruction for the school year. There are many ways to structure an effective plan for learning.

#### How are these long-range plans structured?

Deep learning occurs when specific expectations are connected, are continuously expanded upon, and are revisited in a variety of contexts throughout the year.

This long-range plan is organized around ten unifying questions. Each question typically involves several strands and draws on big mathematical themes such as quantity, change, equivalence, dimension, pattern, and uncertainty. Often the same question spans several grades.

These ten questions can be sequenced throughout the year as ten blocks of time, as presented here in this long-range plan. Alternatively, the questions could be split into smaller, shorter blocks, with the embedded strands and topics serving as different contexts that would spiral the ten questions throughout the year.



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While the long-range plan is presented as month-long blocks, this timing should be held loosely, and adjusted according to the learning readiness of students. The following are other considerations when using this long-range plan.

#### **Considerations**

- Sample long-range plans for each grade level include all overall and specific expectations from strands B through F.
- The overall expectation from Strand A (Social-Emotional Learning Skills and the Mathematical Processes) is integrated and taught in connection with the other strands throughout the school year.
- In developing long-range and daily plans, consider opportunities to teach and reinforce social-emotional learning skills and mathematical processes, as well as transferable skills, in order to help students develop confidence, cope with challenges, think critically and creatively, and develop a positive identity as a math learner.
- Mathematical modelling (Algebra, C4) provides opportunities for students to authentically engage in learning with everyday situations that involve
  mathematics. Tasks that require the process of mathematical modelling can be strategically situated throughout the year to support students in
  making connections among mathematical concepts, strands, and disciplines, and to provide opportunities for assessing the integration and
  application of learning.
- Coding (Algebra, C3) can be used to solve problems and help deepen students' understanding of mathematical concepts; it should be strategically addressed and assessed throughout the year, as appropriate.
- Some concepts and skills require ongoing attention so that students can develop proficiency and deep, lasting learning. Number Talks, Number Strings, and other math talk prompts can be used at the beginning of math classes to reinforce and strengthen number relationships, spatial relationships, math facts, mental math strategies, and problem-solving skills.

#### Reflective questions when planning

- What key concepts, models, and strategies do students need more time to develop?
- Does the long-range plan revisit expectations later? If not, how might I adjust the plan so it does? What prior learning is assumed in order for other expectations to be addressed?
- How can I create opportunities for students to continue to practise and consolidate learning when they are engaged in new learning?

### Long-Range Plan: Grade 6

• Each month is organized around a unifying question. Strands connected to each question are listed below. The Social-Emotional Learning (SEL) Skills and the Mathematical Processes are to be integrated throughout each of the topics below as appropriate.

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|     | Grade 4  | Grade 5  | Grade 6  |
|-----|--|--|--|
| Sep | How are things changing?  Number, Algebra, Data, Spatial Sense           | How are things changing?  Number, Algebra, Data, Spatial Sense           | How are things changing?  Number, Algebra, Data, Spatial Sense           |
| Oct | How do things compare?  Number, Data, Spatial Sense, Financial Literacy  | How do things compare?  Number, Data, Spatial Sense, Financial Literacy  | How do things compare?  Number, Data, Spatial Sense, Financial Literacy  |
| Nov | What's the story?  Number, Data  | What's the story?  Number, Data  | What's the story?  Number, Data  |
| Dec | Equal groups: How much is that? Number, Algebra, Spatial Sense           | How much is that?  Number, Algebra, Spatial Sense                        | How much is that?  Number, Algebra, Spatial Sense                        |
| Jan | How can we describe the space around us?  Number, Algebra, Spatial Sense | How can we describe the space around us?  Number, Algebra, Spatial Sense | How can we describe the space around us?  Number, Algebra, Spatial Sense |
| Feb | When is addition and subtraction useful?                                 | When are different operations useful?                                    | When are different operations useful?                                    |



|     | Number, Algebra, Spatial Sense,<br>Financial Literacy                              | Number, Algebra, Spatial Sense,<br>Financial Literacy                               | Number, Algebra, Data,<br>Spatial Sense  |
|-----|--|---|--|
| Mar | How can we keep things in balance?  Number, Algebra, Data, Financial Literacy      | How can we keep things in balance?  Number, Algebra, Financial Literacy             | How can we keep things in balance?  Number, Algebra, Spatial Sense, Financial Literacy |
| Apr | Scaling & splitting: How much now?  Number, Data, Spatial Sense                    | Scaling & splitting: How much now?  Number, Data, Spatial Sense, Financial Literacy | Scaling & splitting: How much now?  Number, Data                                       |
| May | How can we make predictions and decide?  Number, Algebra, Data, Financial Literacy | How can we make predictions and decide?  Number, Algebra, Data, Financial Literacy  | How can we make predictions and decide?  Number, Algebra, Data                         |
| Jun | Is this statement true?  Number, Algebra   | Is this statement true?  Number, Algebra, Data                                      | Is this statement true?  Number, Algebra, Data   |

| September | mber QUESTION: How are things changing?  |   |  |
|-----------|--|---|--|
|           | Topics and Specific Expectations   | Connecting the Learning   |  |
|           | C: Repeating, growing, shrinking, & linear patterns  | Students describe situations where change   |  |
|           | C1.1 identify and describe repeating, growing, and shrinking patterns, including patterns found in real-life   | happens at a constant rate. They represent  |  |
|           | contexts, and specify which growing patterns are linear  | these linear patterns in different ways,  |  |
|           | C: Represent linear patterns algebraically   | including as algebraic expressions. They  |  |
|           | <b>C1.2</b> create and translate repeating, growing, and shrinking patterns using various representations, including   | describe how linear patterns are different  |  |
|           | tables of values, graphs, and, for linear growing patterns, algebraic expressions and equations  | from non-linear patterns, and compare them  |  |
|           | D: Graph patterns & data   | to repeating, growing and shrinking patterns.                                     |  |
|           | <b>D1.3</b> select from among a variety of graphs, including histograms and broken-line graphs, the type of graph best suited to represent various sets of data; display the data in the graphs with proper sources, titles, and   | They analyze different graphs and sets of data                                    |  |
|           | labels, and appropriate scales; and justify their choice of graphs   | that reflect change over time and describe  |  |
|           | <b>D1.6</b> analyse different sets of data presented in various ways, including in histograms and broken-line graphs and in misleading graphs, by asking and answering questions about the data, challenging preconceived notions, | trends.   |  |
|           | and drawing conclusions, then make convincing arguments and informed decisions   | They describe how the value of a digit  |  |
|           | B, C: Place value relationships  | changes as it shifts from one column to the                                       |  |
|           | C1.4 create and describe patterns to illustrate relationships among whole numbers and decimal numbers  | next, and identify place value relationships                                      |  |
|           | <b>B1.1</b> read and represent whole numbers up to and including one million, using appropriate tools and strategies, and describe various ways they are used in everyday life   | among whole numbers and decimals, They change representations, from fractions, to |  |
|           | <b>B1.4</b> read, represent, compare, and order decimal numbers up to thousandths, in various contexts   | decimals, to percents. They solve problems  |  |
|           | B: Fraction, ratio, percent, & rate problems   | involving equivalent rates, percents, and   |  |
|           | <b>B1.6</b> describe relationships and show equivalences among fractions and decimal numbers up to thousandths, using appropriate tools and drawings, in various contexts  | fractions, and describe the change among the                                      |  |
|           | <b>B2.3</b> use mental math strategies to calculate percents of whole numbers, including 1%, 5%, 10%, 15%, 25%, and 50%, and explain the strategies used   | varying amounts.  |  |
|           | B2.12 solve problems involving ratios, including percents and rates, using appropriate tools and strategies  | They perform and describe combinations of   |  |
|           | E: Combinations of translations, reflections, & rotations  | translations, reflections, and rotations and                                      |  |
|           | <b>E1.4</b> describe and perform combinations of translations, reflections, and rotations up to 360° on a grid, and predict the results of these transformations   | describe the spatial changes involved in each.                                    |  |
|           | Number: B1.1; B1.4; B1.6; B2.3; B2.12<br>Algebra: C1.1; C1.2; C1.4<br>Data: D1.3; D1.6<br>Spatial Sense: E1.4  |   |  |
|           |  |   |  |

| October QUESTION: How do these compare? |   |   |
|---|---|---|
|   | Topics and Specific Expectations  | Connecting the Learning   |
|   | B: Amounts to 1 million, including decimal amounts to thousandths   | Students compare amounts to one   |
|   | <b>B1.1</b> read and represent whole numbers up to and including one million, using appropriate tools and strategies, and describe various ways they are used in everyday life  | million, including those that involve decimals to thousandths. They use   |
|   | B1.4 read, represent, compare, and order decimal numbers up to thousandths, in various contexts   | addition and subtraction to make  |
|   | B: Integers   | absolute comparisons between  |
|   | B1.2 read and represent integers, using a variety of tools and strategies, including horizontal and vertical number lines   | amounts, and make relative  |
|   | B1.3 compare and order integers, decimal numbers, and fractions, separately and in combination, in various contexts   | comparisons using multiplication,   |
|   | <b>B2.2</b> understand the divisibility rules and use them to determine whether numbers are divisible by 2, 3, 4, 5, 6, 8, 9, and 10  | division, fractions and percents. They explain the difference between the |
|   | B: Fractions, & decimals  | types of comparisons. They use their                                      |
|   | <b>B1.5</b> round decimal numbers, both terminating and repeating, to the nearest tenth, hundredth, or whole number, as applicable, in various contexts   | understanding of percent to compare                                       |
|   | B: Relative & absolute comparisons  | interest rates, and also compare the                                      |
|   | <b>B1.6</b> describe relationships and show equivalences among fractions and decimal numbers up to thousandths, using appropriate tools and drawings, in various contexts   | advantages and disadvantages of using different payment methods.          |
|   | B: Prime & composite numbers  | They use everyday examples to compare                                     |
|   | B2.6 represent composite numbers as a product of their prime factors, including through the use of factor trees   | positive and negative integers, and                                       |
|   | D: Types of data & graphs   | compare and order integers, decimals,                                     |
|   | D1.1 describe the difference between discrete and continuous data, and provide examples of each   | and fractions on a number line. They use                                  |
|   | <b>D1.2</b> collect qualitative data and discrete and continuous quantitative data to answer questions of interest about a population, and organize the sets of data as appropriate, including using intervals  | divisibility rules to identify and compare                                |
|   | <b>D1.6</b> analyse different sets of data presented in various ways, including in histograms and broken-line graphs and in misleading graphs, by asking and answering questions about the data, challenging preconceived notions, and drawing conclusions, then make convincing arguments and informed decisions | prime and composite numbers.  Students also compare types of graphs       |
|   | E: Convert smaller to larger SI units   | and describe when each type might be                                      |
|   | <b>E2.1</b> measure length, area, mass, and capacity using the appropriate metric units, and solve problems that require converting smaller units to larger ones and vice versa   | used. They compare metric units and convert smaller units to larger ones. |
|   | F: Payment methods  | They describe the qualitative and   |
|   | <b>F1.1</b> describe the advantages and disadvantages of various methods of payment that can be used to purchase goods and services   | quantitative ways they have made  |
|   | F: Interest rates   | comparisons.  |
|   | <b>F1.4</b> explain the concept of interest rates, and identify types of interest rates and fees associated with different accounts and loans offered by various banks and other financial institutions   |   |
|   | Number: B1.1; B1.2; B1.3; B1.4; B1.5; B1.6; B2.2; B2.6 Data: D1.1; D1.2; D1.6 Spatial Sense: E2.1 Financial Literacy: F1.1; F1.4  |   |

| November | QUESTION: What's the story?   |  |
|----------|---|--|
|          | Topics and Specific Expectations  | Connecting the Learning  |
|          | D: Representative sampling techniques   | Students ask questions and gather  |
|          | <b>D1.2</b> collect qualitative data and discrete and continuous quantitative data to answer questions of interest about a population, and organize the sets of data as appropriate, including using intervals  | information about areas of interest that involve qualitative data and discrete and |
|          | D: Collect, organize, visualize discrete & continuous data (histogram; broken line)   | continuous quantitative data. They   |
|          | D1.1 describe the difference between discrete and continuous data, and provide examples of each   | organize data in tables and represent  |
|          | <b>D1.2</b> collect qualitative data and discrete and continuous quantitative data to answer questions of interest about a population, and organize the sets of data as appropriate, including using intervals  | their findings in appropriate graphs, including histograms and broken-line         |
|          | <b>D1.3</b> select from among a variety of graphs, including histograms and broken-line graphs, the type of graph best suited to represent various sets of data; display the data in the graphs with proper sources, titles, and labels, and appropriate scales; and justify their choice of graphs | graphs. They determine the range of their data and measures of central             |
|          | D, B Measures of central tendency   | tendency and use this information to   |
|          | <b>B2.1</b> use the properties of operations, and the relationships between operations, to solve problems involving whole numbers, decimal numbers, fractions, ratios, rates, and whole number percents, including those requiring multiple steps or multiple operations                            | compare two or more data sets. They create an infographic to share their           |
|          | <b>B2.3</b> use mental math strategies to calculate percents of whole numbers, including 1%, 5%, 10%, 15%, 25%, and 50%, and explain the strategies used  | findings and point of view. They also analyze other visual displays of data, an    |
|          | <b>D1.5</b> determine the range as a measure of spread and the measures of central tendency for various data sets, and use this information to compare two or more data sets  | identify any misleading graphs or other strategies that might unfairly persuade    |
|          | <b>D2.1</b> use fractions, decimals, and percents to express the probability of events happening, represent this probability on a probability line, and use it to make predictions and informed decision  | an audience.   |
|          | D2.2 determine and compare the theoretical and experimental probabilities of two independent events happening   | Students also tell the story of numbers  |
|          | D, B: Range, shape & distribution of data   | by describing their properties. They use   |
|          | <b>D1.6</b> analyse different sets of data presented in various ways, including in stacked-bar graphs and in misleading graphs, by asking and answering questions about the data, challenging preconceived notions, and drawing conclusions, then make convincing arguments and informed decisions  | divisibility rules to decide if a number is prime or composite, they identify its  |
|          | <b>B2.4</b> represent and solve problems involving the addition and subtraction of whole numbers and decimal numbers, using estimation and algorithms   | factors, and they use number relationships and operations to                       |
|          | D: Tell data story (infographic)  | compare it to other numbers. They  |
|          | <b>D1.4</b> create an infographic about a data set, representing the data in appropriate ways, including in tables, histograms, and broken-line graphs, and incorporating any other relevant information that helps to tell a story about the data  | share these properties as clues and have students identify the number.             |
|          | B: Story of numbers (prime & composite; prime factors; divisibility)  |  |
|          | B2.6 represent composite numbers as a product of their prime factors, including through the use of factor trees   |  |
|          | Number: B2.1; B2.3; B2.4; B2.6<br>Data: D1.1; D1.2; D1.3; D1.4; D1.5; D1.6; D2.1; D2.2  |  |

| December | QUESTION: How much is that?   |   |
|----------|---|---|
|          | Topics and Specific Expectations  | Connecting the Learning   |
|          | B: Round repeating & terminating decimals   | Students use models, number sense,  |
|          | <b>B1.5</b> round decimal numbers, both terminating and repeating, to the nearest tenth, hundredth, or whole number, as applicable, in various contexts   | and spatial reasoning to describe and determine "how much". They round                |
|          | B: Add & subtract decimals thousandths, & fractions with unlike denominators  | repeating and terminating decimals to   |
|          | B1.4 read, represent, compare, and order decimal numbers up to thousandths, in various contexts   | describe their amount relative to nearby  |
|          | <b>B2.4</b> represent and solve problems involving the addition and subtraction of whole numbers and decimal numbers, using estimation and algorithms   | numbers. They add and subtract fractions and decimal numbers to                       |
|          | B2.5 add and subtract fractions with like and unlike denominators, using appropriate tools, in various contexts   | thousandths.  |
|          | C: Add monomials, evaluate algebraic expressions, & solve equations   | thousand this.  |
|          | C2.1 add monomials with a degree of 1 that involve whole numbers, using tools   | They use visual and concrete  |
|          | C2.2 evaluate algebraic expressions that involve whole numbers and decimal tenths   | representations to model the addition o   |
|          | C2.3 solve equations that involve multiple terms and whole numbers in various contexts, and verify solutions  | monomials and describe the importance   |
|          | E: Area of various shapes   | of common units. They develop and   |
|          | <b>E2.4</b> determine the areas of trapezoids, rhombuses, kites, and composite polygons by decomposing them into shapes with known areas  | evaluate algebraic expressions to represent and determine the area and                |
|          | B: Mental calculation of percents   | perimeter of various polygons at specific   |
|          | <b>B2.3</b> use mental math strategies to calculate percents of whole numbers, including 1%, 5%, 10%, 15%, 25%, and 50%, and explain the strategies used  | and general times.  |
|          | E: Convert smaller to larger SI units   | They multiply and divide by decimal   |
|          | <b>E2.1</b> measure length, area, mass, and capacity using the appropriate metric units, and solve problems that require converting smaller units to larger ones and vice versa                               | tenths and mentally calculate percentages. They use place value                       |
|          | B: Multiply & divide by decimal tenths  | 1.  |
|          | <b>B2.7</b> represent and solve problems involving the multiplication of three-digit whole numbers by decimal tenths, using algorithms  | relationships to convert between smaller and larger metric units, and                 |
|          | <b>B2.8</b> represent and solve problems involving the division of three-digit whole numbers by decimal tenths, using appropriate tools, strategies, and algorithms, and expressing remainders as appropriate | describe why the conversion makes sense. They use models to visualize the             |
|          | B: Divide decimals by whole numbers   | multiplication and division of whole  |
|          | <b>B2.11</b> represent and solve problems involving the division of decimal numbers up to thousandths by whole numbers up to 10, using appropriate tools and strategies                                       | numbers by fractions and by decimal   |
|          | B: Multiply & divide by proper fractions  | tenths. They also model the division of a   |
|          | B2.9 multiply whole numbers by proper fractions, using appropriate tools and strategies   | whole number by a decimal. They   |
|          | B2.10 divide whole numbers by proper fractions, using appropriate tools and strategies  | recognize that division does not always   |
|          | Number: B1.4; B1.5; B2.3; B2.4; B2.5; B2.7; B2.8; B2.9. B2.10; B2.11<br>Algebra: C2.1; C2.2; C2.3   | make something smaller and that multiplication does not always make something larger. |
|          | Spatial Sense: E2.1, E2.4  C4: Integrated Modelling Task  |   |

| January | QUESTION: How can we describe the space around us?   |   |  |
|---------|--|---|--|
|         | Topics and Specific Expectations   | Connecting the Learning   |  |
|         | E: Construct 3D objects given 2D views   | Students compare, construct, identify and   |  |
|         | <b>E1.2</b> construct three-dimensional objects when given their top, front, and side views  | measure shapes and objects in space. They   |  |
|         | E: Reflex angles   | construct 3D objects given 2D views. They   |  |
|         | <b>E2.2</b> use a protractor to measure and construct angles up to 360°, and state the relationship between angles that are measured clockwise and those that are measured counterclockwise                              | create nets of prisms and pyramids and describe the 2D faces of these 3D objects. They  |  |
|         | E, C: Solve for unknown angles   | identify and measure reflex angles and use the  |  |
|         | <b>E2.3</b> use the properties of supplementary angles, complementary angles, opposite angles, and interior and exterior angles to solve for unknown angle measures  | properties of angles to determine unknown measures. They use their ability to measure   |  |
|         | C2.3 solve equations that involve multiple terms and whole numbers in various contexts, and verify solutions   | angles and lengths to describe and classify   |  |
|         | E: Properties of quadrilaterals;   | quadrilaterals.   |  |
|         | <b>E1.1</b> create lists of geometric properties of various types of quadrilaterals, including the properties of the diagonals, rotational symmetry, and line symmetry   | They use formulas for the area of   |  |
|         | E: Measure attributes (length, mass, capacity, area) & solve problems  | parallelograms and triangles to determine the   |  |
|         | <b>E2.1</b> measure length, area, mass, and capacity using the appropriate metric units, and solve problems that require converting smaller units to larger ones and vice versa  | areas of other shapes, including trapezoids. They write expressions to describe area    |  |
|         | <b>E2.4</b> determine the areas of trapezoids, rhombuses, kites, and composite polygons by decomposing them into shapes with known areas   | relationships and evaluate those expressions  |  |
|         | E: Create nets of prisms & pyramids  | given specific dimensions. Students solve   |  |
|         | <b>E2.5</b> create and use nets to demonstrate the relationship between the faces of prisms and pyramids and their surface areas   | equations, including those with multiple terms and whole numbers, to find unknown areas |  |
|         | E, B: Distances on Cartesian Plane, expressed with integers  | and side lengths.   |  |
|         | <b>B1.2</b> read and represent integers, using a variety of tools and strategies, including horizontal and vertical number lines   | Students also use integers to describe  |  |
|         | <b>E1.3</b> plot and read coordinates in all four quadrants of a Cartesian plane, and describe the translations that move a point from one coordinate to another   | space as they plot and read coordinates on all four quadrants of a Cartesian plane.     |  |
|         | <b>E1.4</b> describe and perform combinations of translations, reflections, and rotations up to 360° on a grid, and predict the results of these transformations   | They describe the distances from one coordinate to another.                             |  |
|         | C: Evaluate expressions & solve equations  |   |  |
|         | C2.2 evaluate algebraic expressions that involve whole numbers and decimal tenths  |   |  |
|         | C2.3 solve equations that involve multiple terms and whole numbers in various contexts, and verify solutions   |   |  |
|         | C: Code movement (Cartesian plane Q1)  |   |  |
|         | <b>C3.1</b> solve problems and create computational representations of mathematical situations by writing and executing efficient code, including code that involves conditional statements and other control structures |   |  |
|         | <b>C3.2</b> read and alter existing code, including code that involves conditional statements and other control structures, and describe how changes to the code affect the outcomes and the efficiency of the code      |   |  |
|         | Number: B1.2 Spatial Sense: E1.1; E1.2; E1.3; E1.4; E2.1; E2.2; E2.3; E2.4; E2.5 Algebra: C2.2; C2.3; C3.1; c3.2   |   |  |

| February | QUESTION: When are different operations useful?   |  |  |
|----------|---|--|--|
|          | Topics and Specific Expectations  | Connecting the Learning  |  |
|          | B: Represent types of +/-/×/÷ situations involving whole numbers, decimals, fractions, ratios, rates & percents  B2.3 use mental math strategies to calculate percents of whole numbers, including 1%, 5%, 10%, 15%, 25%, and 50%, and explain the strategies used  B2.4 represent and solve problems involving the addition and subtraction of whole numbers and decimal numbers, using estimation and algorithms  B2.5 add and subtract fractions with like and unlike denominators, using appropriate tools, in various contexts B2.7 represent and solve problems involving the multiplication of three-digit whole numbers by decimal tenths, using algorithms  B2.8 represent and solve problems involving the division of three-digit whole numbers by decimal tenths, using appropriate tools, strategies, and algorithms, and expressing remainders as appropriate  B2.9 multiply whole numbers by proper fractions, using appropriate tools and strategies  B2.10 divide whole numbers by proper fractions, using appropriate tools and strategies  B2.11 represent and solve problems involving the division of decimal numbers up to thousandths by whole numbers up to 10, using appropriate tools and strategies  B2.12 solve problems involving ratios, including percents and rates, using appropriate tools and strategies | Students represent and solve addition and subtraction problems where amounts are joined, separated, combined, and compared. They represent and solve multiplication and division problems involving repeated equal groups, rates, ratios, area measurements, and possible combinations. They choose the appropriate operation to match the situation and write and solve algebraic equations.  They describe the operations used to determine range and measures of central tendency and use visuals to explain the actions involved. They use the nets created in |  |
|          | B: Relationship between operations  B2.1 use the properties of operations, and the relationships between operations, to solve problems involving whole numbers, decimal numbers, fractions, ratios, rates, and whole number percents, including those requiring multiple steps or multiple operations   | the previous month to visualize the faces of prisms and pyramids. They use multiplication to calculate the area of each face, and add the areas together to determine the surface  |  |
|          | C: Represent situations with monomials and solve  | area of the object. They use algebraic   |  |
|          | C2.1 add monomials with a degree of 1 that involve whole numbers, using tools   | expressions to generalize their surface area   |  |
|          | C2.2 evaluate algebraic expressions that involve whole numbers and decimal tenths   | calculations for different shapes  |  |
|          | C: Solve equations & inequalities   |  |  |
|          | <ul><li>C2.3 solve equations that involve multiple terms and whole numbers in various contexts, and verify solutions</li><li>C2.4 solve inequalities that involve two operations and whole numbers up to 100, and verify and graph the solutions</li></ul>  |  |  |
|          | E: Surface area of prisms & pyramids  |  |  |
|          | <b>E2.5</b> create and use nets to demonstrate the relationship between the faces of prisms and pyramids and their surface areas  |  |  |
|          | <b>E2.6</b> determine the surface area of prisms and pyramids by calculating the areas of their two-dimensional faces and adding them together  |  |  |
|          | D: Determine range & central tendency   |  |  |
|          | <b>D1.5</b> determine the range as a measure of spread and the measures of central tendency for various data sets, and use this information to compare two or more data sets  |  |  |
|          | Number: B2.1; B2.3; B2.4; B2.5; B2.7; B2.8; B2.9; B2.10; B2.11; B2.12 Spatial Sense: E2.5, E2.6 Algebra: C2.1; C2.2; C2.3; C2.4 Data: D1.5  |  |  |



| March | QUESTION: How can we keep things in balance?  | QUESTION: How can we keep things in balance?   |  |  |
|-------|---|--|--|--|
|       | Topics and Specific Expectations  | Connecting the Learning  |  |  |
|       | F: Financial goals; steps to achieve them; factors that help or interfere   | Students describe ways to keep things in   |  |  |
|       | <b>F1.2</b> identify different types of financial goals, including earning and saving goals, and outline some key steps in achieving them   | balance and equal. They identify financial goals, and the steps to achieve them, and |  |  |
|       | F1.3 identify and describe various factors that may help or interfere with reaching financial goals   | factors that may help or interfere with  |  |  |
|       | <b>F1.4</b> explain the concept of interest rates, and identify types of interest rates and fees associated with different accounts and loans offered by various banks and other financial institutions   | reaching them. They look at opposites as a way to think about balance. They perform  |  |  |
|       | <b>F1.5</b> describe trading, lending, borrowing, and donating as different ways to distribute financial and other resources among individuals and organizations  | clockwise and counterclockwise rotations and   |  |  |
|       | B: Inverse relationships; integers  | describe the angle relationships. They   |  |  |
|       | <b>B1.2</b> read and represent integers, using a variety of tools and strategies, including horizontal and vertical number lines  | consider the symmetry of positive and negative integers and how to solve equations   |  |  |
|       | <b>B2.1</b> use the properties of operations, and the relationships between operations, to solve problems involving whole numbers, decimal numbers, fractions, ratios, rates, and whole number percents, including those requiring multiple steps or multiple operations                      | using inverse operations.  They describe how situations can be                       |  |  |
|       | E: Counterclockwise & clockwise angles & rotations  | represented by equivalent algebraic  |  |  |
|       | <b>E1.4</b> describe and perform combinations of translations, reflections, and rotations up to 360° on a grid, and predict the results of these transformations  | expressions, including expressions with  |  |  |
|       | <b>E2.2</b> use a protractor to measure and construct angles up to 360°, and state the relationship between angles that are measured clockwise and those that are measured counterclockwise   | monomials. They solve equations using a balance model. They evaluate algebraic       |  |  |
|       | C: Equivalent representations   | expressions and use inverse operations to  |  |  |
|       | <b>C1.1</b> identify and describe repeating, growing, and shrinking patterns, including patterns found in real-life contexts, and specify which growing patterns are linear   | demonstrate that both sides of the equal sign are in balance.                        |  |  |
|       | <b>C1.2</b> create and translate repeating, growing, and shrinking patterns using various representations, including tables of values, graphs, and, for linear growing patterns, algebraic expressions and equations  |  |  |  |
|       | <b>C1.3</b> determine pattern rules and use them to extend patterns, make and justify predictions, and identify missing elements in repeating, growing, and shrinking patterns, and use algebraic representations of the pattern rules to solve for unknown values in linear growing patterns |  |  |  |
|       | C: Solve equations with multiple terms; add monomials   |  |  |  |
|       | C2.1 add monomials with a degree of 1 that involve whole numbers, using tools   |  |  |  |
|       | C2.2 evaluate algebraic expressions that involve whole numbers and decimal tenths   |  |  |  |
|       | C2.3 solve equations that involve multiple terms and whole numbers in various contexts, and verify solutions  |  |  |  |
|       | C: Write equivalent & efficient code  |  |  |  |
|       | <b>C3.1</b> solve problems and create computational representations of mathematical situations by writing and executing efficient code, including code that involves conditional statements and other control structures  |  |  |  |
|       | <b>C3.2</b> read and alter existing code, including code that involves conditional statements and other control structures, and describe how changes to the code affect the outcomes and the efficiency of the code   |  |  |  |
|       | Number: B1.2; B2.1 Spatial Sense: E1.4; E2.2 Algebra: C1.1; C1.2; C1.3; C2.1; C2.2; C2.3; C3.1; C3.2 Financial Literacy: F1.2; F1.3; F1.4; F1.5   |  |  |  |

| B: Solve problems involving ratios, percents, & rates  B2.1 use the properties of operations, and the relationships between operations, to solve problems involving whole numbers, decimal numbers, fractions, ratios, rates, and whole number percents, including those requiring multiple steps or multiple operations  B2.3 use mental math strategies to calculate percents of whole numbers, including 1%, 5%, 10%, 15%, 25%, and 50%, and explain the strategies used  B2.6 represent composite numbers as a product of their prime factors, including through the use of factor trees  B2.12 solve problems involving ratios, including percents and rates, using appropriate tools and strategies  D: Choose intervals & scales for graphs  D1.3 select from among a variety of graphs, including stacked-bar graphs, the type of graph best suited to represent various sets of data; display the data in the graphs with proper sources, titles, and labels, and appropriate scales; and justify their choice of graphs  B: Multiply & divide by decimal tenths  B2.7 represent and solve problems involving the multiplication of three-digit whole numbers by decimal tenths, using algorithms  B2.8 represent and solve problems involving the division of three-digit whole numbers by decimal tenths, using appropriate tools, strategies, and algorithms, and expressing remainders as appropriate  B: Divide decimals by whole numbers  B2.11 represent and solve problems involving the division of decimal numbers up to thousandths by whole numbers up to 10, using appropriate tools and strategies  B: Multiply & divide by proper fractions  St. | dents represent situations involving ing and splitting and describe connection multiplication, division, fractions, cents, ratios, and rates. They model ing and splitting when they solve blems involving ratios, and use ratio table etermine equivalent fractions, ratios, and s.   |
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| B2.1 use the properties of operations, and the relationships between operations, to solve problems involving whole numbers, decimal numbers, fractions, ratios, rates, and whole number percents, including those requiring multiple steps or multiple operations  B2.3 use mental math strategies to calculate percents of whole numbers, including 1%, 5%, 10%, 15%, 25%, and 50%, and explain the strategies used  B2.6 represent composite numbers as a product of their prime factors, including through the use of factor trees  B2.12 solve problems involving ratios, including percents and rates, using appropriate tools and strategies  D: Choose intervals & scales for graphs  D1.3 select from among a variety of graphs, including stacked-bar graphs, the type of graph best suited to represent various sets of data; display the data in the graphs with proper sources, titles, and labels, and appropriate scales; and justify their choice of graphs  B: Multiply & divide by decimal tenths  B2.7 represent and solve problems involving the multiplication of three-digit whole numbers by decimal tenths, using appropriate tools, strategies, and algorithms, and expressing remainders as appropriate  B: Divide decimals by whole numbers  B2.11 represent and solve problems involving the division of decimal numbers up to thousandths by whole numbers up to 10, using appropriate tools and strategies  B: Multiply & divide by proper fractions  SC.  SC.  SC.  SC.  SC.  SC.  SC.  SC   | ing and splitting and describe connection on multiplication, division, fractions, tents, ratios, and rates. They model ing and splitting when they solve olems involving ratios, and use ratio table etermine equivalent fractions, ratios, and s.   |
| D: Probability as a fraction, decimal & percent pa   | cent, and use number lines to explain recalling and splitting strategies. They de decimals by whole numbers, and use other lines and area models to show how amount was split. They divide an amount fraction or decimal, and describe how may iterations of that fraction or decimal ling) fit into the amount. They multiply a bunt by a fraction or decimal, and explain the denominator or unit tells how many is to split an amount into (the unit tion), and the numerator scales the unit |
|  |  |

| May | QUESTION: How can we make predictions and decide?  |  |
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|     | Topics and Specific Expectations   | Connecting the Learning  |
|     | C: Rules for growing, shrinking, & linear patterns   | Students use patterns and trends in data,  |
|     | C1.1 identify and describe repeating, growing, and shrinking patterns, including patterns found in real-life   | presented in different ways, to inform   |
|     | contexts, and specify which growing patterns are linear  | decisions and make predictions. They   |
|     | <b>C1.2</b> create and translate repeating, growing, and shrinking patterns using various representations, including tables of values, graphs, and, for linear growing patterns, algebraic expressions and equations               | examine repeating, growing, shrinking, and   |
|     | C1.4 create and describe patterns to illustrate relationships among whole numbers and decimal number   | linear patterns represented concretely, as   |
|     | C: Algebraic expressions for linear patterns   | rules, and as graphs, and use these to justify                                     |
|     | C1.3 determine pattern rules and use them to extend patterns, make and justify predictions, and identify   | their predictions about future trends. They  |
|     | missing elements in repeating, growing, and shrinking patterns, and use algebraic representations of the pattern rules to solve for unknown values in linear growing patterns  | visualize and analyze data, and use range and measures of central tendency to draw |
|     | D: Visualize & analyze data  | conclusions and make decisions. They   |
|     | <b>D1.5</b> determine the range as a measure of spread and the measures of central tendency for various data sets,   | determine and compare the theoretical and  |
|     | and use this information to compare two or more data sets  | experimental probabilities of two  |
|     | <b>D1.6</b> analyse different sets of data presented in various ways, including in histograms and broken-line graphs and in misleading graphs, by asking and answering questions about the data, challenging preconceived notions, | independent events happening. They express   |
|     | and drawing conclusions, then make convincing arguments and informed decisions   | these probabilities as fractions, decimals, and                                    |
|     | D, B: Experimental & theoretical probabilities of two independent events; expressed as   | percents, and plot them on a probability line.                                     |
|     | fraction, decimal & percent  | They describe the factors involved in making                                       |
|     | <b>D2.1</b> use fractions, decimals, and percents to express the probability of events happening, represent this probability on a probability line, and use it to make predictions and informed decisions                          | predictions and decisions.   |
|     | <b>D2.2</b> determine and compare the theoretical and experimental probabilities of two independent events happening   |  |
|     | <b>B1.6</b> describe relationships and show equivalences among fractions and decimal numbers up to thousandths, using appropriate tools and drawings, in various contexts  |  |
|     | <b>B2.3</b> use mental math strategies to calculate percents of whole numbers, including 1%, 5%, 10%, 15%, 25%, and 50%, and explain the strategies used   |  |
|     | Number: B1.6; B2.3<br>Algebra: C1.1; C1.2; C1.3; C1.4<br>Data: D1.5; D1.6; D2.1; D2.2  |  |
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| une | QUESTION: Is this statement true?   |  |
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|     | C: Equivalent representations of patterns   | Students analyze a variety of situations to  |
|     | C2.2 evaluate algebraic expressions that involve whole numbers and decimal tenths   | decide whether they are true. They decide if   |
|     | C: Add monomials  | various representations of a pattern or  |
|     | C2.1 add monomials with a degree of 1 that involve whole numbers, using tools   | situation are equivalent. They verify if a   |
|     | C: Solve equations & graph inequalities   | solution to an equation, including those   |
|     | <b>C2.4</b> solve inequalities that involve two operations and whole numbers up to 100, and verify and graph the solutions  | involving monomials, is true and, if not, adjust accordingly. They solve and graph       |
|     | D: Misleading graphs  | inequalities and explain conditions for when   |
|     | <b>D1.6</b> analyse different sets of data presented in various ways, including in histograms and broken-line graphs and in misleading graphs, by asking and answering questions about the data, challenging preconceived notions, and drawing conclusions, then make convincing arguments and informed decisions | an inequality is true. They analyze misleadin graphs and describe how the truth has been |
|     | C: Write, execute, & alter codes  | distorted. They analyze different number   |
|     | <b>C3.1</b> solve problems and create computational representations of mathematical situations by writing and executing efficient code, including code that involves conditional statements and other control structures  | properties, presented algebraically, and describe why they are true. They compare        |
|     | B: Number properties  | two sets of code, determine if they are  |
|     | <b>B2.1</b> use the properties of operations, and the relationships between operations, to solve problems involving whole numbers, decimal numbers, fractions, ratios, rates, and whole number percents, including those requiring multiple steps or multiple operations  | equivalent, and describe what makes one more efficient than the other.                   |
|     | C: Test codes for efficiency  |  |
|     | <b>C3.2</b> read and alter existing code, including code that involves conditional statements and other control structures, and describe how changes to the code affect the outcomes and the efficiency of the code   |  |
|     | Number: B2.1<br>Algebra: C2.1; C2.2; C2.4; C3.1; C3.2<br>Data: D1.6   |  |
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